

Econ 362, Hanes
First problem set on graphing

1) The graph below depicts a competitive market with an upward-sloping supply curve and a downward-sloping demand curve.

a) What is the equation that is plotted out as the supply curve? $P = \underline{\hspace{1cm}} + \underline{\hspace{1cm}} Q^S$

b) What is the equation that is plotted out as the demand curve? $P = \underline{\hspace{1cm}} - \underline{\hspace{1cm}} Q^D$

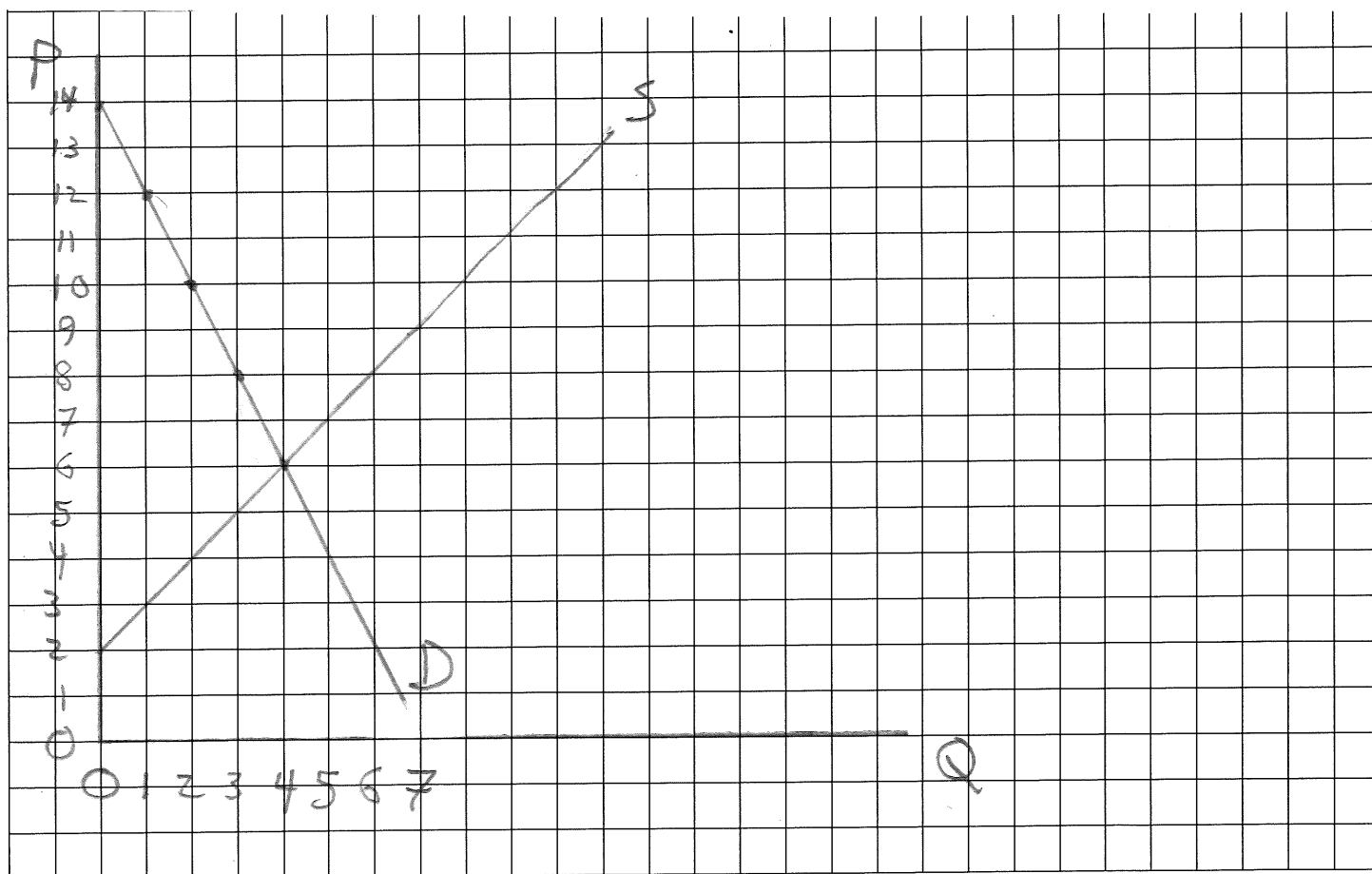
c) The equilibrium price P^* is the price that makes $Q^S = Q^D$. What is P^* ? $\underline{\hspace{2cm}}$

d) Rearrange your answer to a) to get the "supply equation." The supply equation is an equation that gives the quantity supplied as a function of the price.

$Q^S = \underline{\hspace{1cm}} + \underline{\hspace{1cm}} P$ (Note: the constant in this equation might be a negative number.)

e) Rearrange your answer to b) to get the "demand equation." The demand equation is an equation that gives the quantity demanded as a function of the price.

$Q^D = \underline{\hspace{1cm}} - \underline{\hspace{1cm}} P$ (Note: the constant in this equation might be a negative number.)



2) Now I ask you to reverse the process. Consider a competitive market with a supply curve given by the equation $Q^S = -2 + \frac{1}{2}P$ and a demand curve given by the equation $Q^D = 4 - \frac{1}{4}P$.

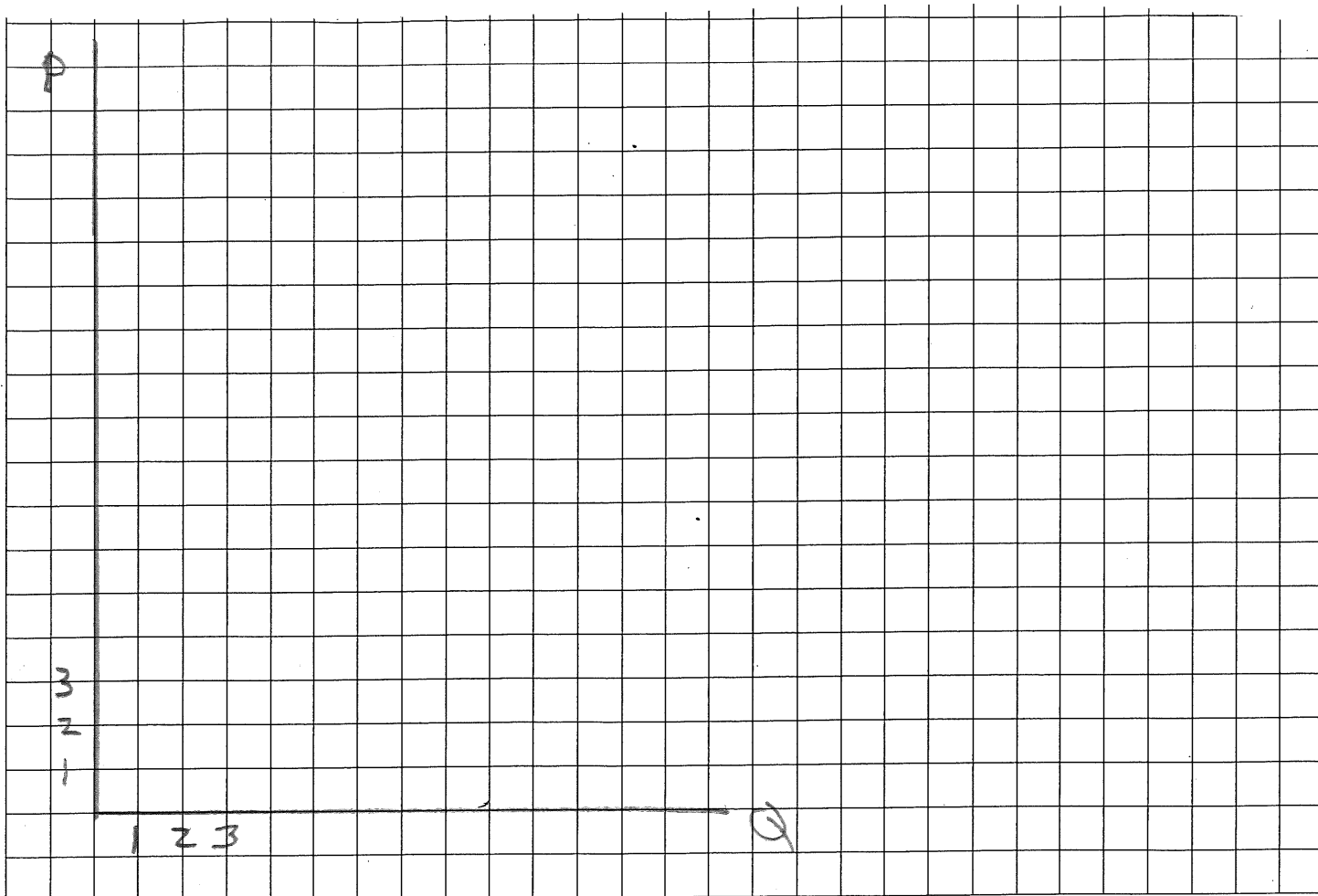
a) Rearrange the supply equation to get the equation that is plotted out as the supply curve.

$P = \underline{\hspace{1cm}} + \underline{\hspace{1cm}} Q^S$ Plot this curve on the graph below.

b) Rearrange the demand equation to get the equation that is plotted out as the demand curve.

$P = \underline{\hspace{1cm}} - \underline{\hspace{1cm}} Q^D$ Plot this curve on the graph below.

c) From the graph, what is the equilibrium price P^* ?



d) You can get the equilibrium price without plotting out the supply and demand curves, using the supply equation and the demand equation. P^* is the value for P that makes Q^S in the supply equation equal to Q^D in the demand equation. That is, P^* is the value for P for which: $-2 + \frac{1}{2}P = Q^S = Q^D = 4 - \frac{1}{4}P$ which means $-2 + \frac{1}{2}P^* = 4 - \frac{1}{4}P^*$.

In the space below, use algebra to find the value for P^* that solves $-2 + \frac{1}{2}P^* = 4 - \frac{1}{4}P^*$. Show all the steps in your math.

$$Q^D = \underline{\hspace{1cm}} - \underline{\hspace{1cm}} P + \underline{\hspace{1cm}} \bar{P} + \underline{\hspace{1cm}} I$$

a) If the other good (with price \bar{P}) is a "substitute" for the first good, is the number that goes in front of \bar{P} in the demand equation positive or negative? _____

b) If the other good (with price \bar{P}) is a "complement" for the first good, is the number that goes in front of \bar{P} in the demand equation positive or negative? _____

c) Now consider the number that goes in front of income I . If the good with price P is a "normal" good, is the number that goes in front of I in the demand equation positive or negative? _____

d) If the good with price P is an "inferior" good, is the number that goes in front of I in the demand equation positive or negative? _____