

RBC Theory Developments

Criticisms of early RBC models

Things true in model, not true in reality.

Recall that a business cycle in the model must be A not ~~B~~ becomes countercyclical C

1) In model, real wage strongly procyclical.

In reality, $\frac{\text{Wage index}}{\text{Price index}}$ not.

2) In model, variation in employment comes from variation in hours/worker ("intensive margin")

In reality, mostly variation in number employed ("extensive margin")

3) In model, individual's labor supply responds strongly to temporary fluctuations in real wage & real interest rate

("intertemporal substitution of labor supply").

No evidence people do this.

4) In model, C is procyclical but only a little, not as strongly procyclical as in reality.

And the biggest criticism...

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KBC Theory Developments

Technological regress?

In model, a recession in which Y_f, L_f as in real recessions must be caused by an absolute decline of TFP (not just below-trend growth) that persists for several quarters.

Yes, estimates of TFP backed out from

$Y = A K^\alpha L^{1-\alpha}$ & data do show big, persistent A_f

$$\begin{matrix} \nearrow \\ \text{real GDP} \end{matrix} \quad \begin{matrix} \nearrow \\ \text{capital stock} \end{matrix} \quad \begin{matrix} \nearrow \\ \text{employment hours} \end{matrix}$$

because capital stock doesn't fall in recession,
 & Y falls more than L

but there's a plausible alternative explanation

For this: in recession

— labor input per employment hours falls
 ("labor hoarding")

— lots of capital is unused or used less
 ("capital utilization" falls).

How can technology get worse?

Won't we notice?

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RBC Theory Developments

Technological regress? (cont.)

Why won't below-trend growth do the trick?

Why does model require technological regress?

Suppose $\tilde{A}_{t-1} = \tilde{K}_{t-1} = 0$ (variables were at LKSS values last period)

hence $\tilde{K}_t \approx 0$

capital stock near LKSS this period

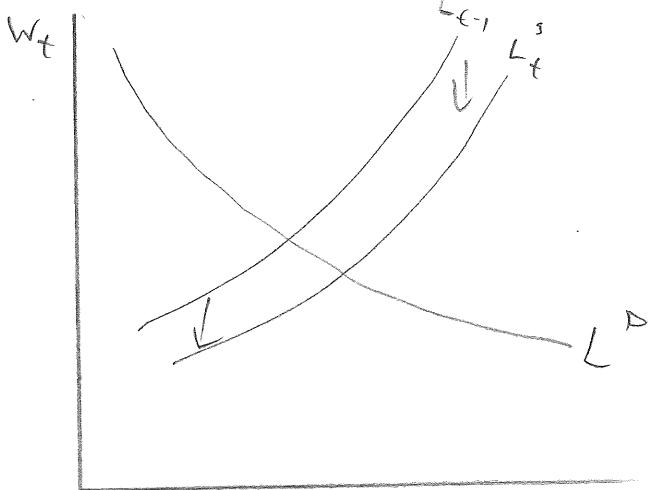
$$\frac{\tilde{K}_t}{\tilde{K}_{t-1}} = e^{g+n} \quad (\text{capital stock grows at rate } g+n)$$

$$1 \leq \frac{A_t}{A_{t-1}} < e^g$$

Now, $\tilde{A}_t < 0$. A growth slowdown is

Technological regress is $\frac{A_t}{A_{t-1}} < 1, A_t < A_{t-1}$

Labor market:



$$w_t^s = b c_t \frac{1}{1 - \bar{\ell}_t}$$

IF $c_t < c_{t-1}$, L^s shifted down.

To make $\bar{\ell}$ fall, L^D must shift down enough to overcome this.

$$w_t^D = (1-\alpha) K_t^\alpha A_t^{1-\alpha} (N_t \bar{\ell}_t)^{-\alpha}$$

since $K_t > K_{t-1}$, to make $\bar{\ell}$ fall, A_t must be less than A_{t-1} .

Possible ways to make $\bar{\ell}$ fall as c falls: change assumptions so that

$- L^s$ falls while c falls

$- L^D$ falls even though $K_t > K_{t-1}, A_t = A_{t-1}$. A third factor?